# Examples' manual for *USER_LOADING option 

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#### Abstract

The aim of this study is to understand how the *USER_LOADING option works and to give some examples of its use. This option uses the subroutine loadud, its usage will be described step by step and it is illustrated with four examples : - Plate loaded with time dependant pressure, - Plate loaded with displacement dependant pressure, - Randers-Pehrson \& Bannister Tests, - Plate loaded by an explosion of 5 kg of TNT.

Some of those examples use loadings that can be also applied through LS-DYNA existing options, thus the results obtained with the user loading option could be compared and validated.


## 1 File dyn21.f and the *USER_LOADING option

The file dyn21.f contains a collection of subroutines to be defined by the user, such as user defined materials, user defined loadings, ...The keyword *USER_LOADING calls the subroutine loadud which is included in dyn21.f.
In this subroutine, the user has access to several variables like nodal displacement, velocity or acceleration as well as to his own parameters, whose values have been defined in the input deck. Pressure can be defined as a function of these user parameters or/and other variables of the model.
Once loadud is completed, dyn21.f should be compiled with LS-DYNA objects, yielding an executable LS-DYNA. File dyn21.f and LS-DYNA objects can be obtained from your local distributor or directly from LSTC.

## 2 Subroutine loadud

For a load applied on shell elements,
Block 1: declaration
As in almost all programs, the variable declaration is done first.
Block 2 : Read input \& echo
The user parameters are read from the input deck and written in the echo file d3hsp.

## Block 3 : Element evaluation

For each element, connectivity is determined. The nodes of each element and their coordinates are read. Then, the elementary coordinate system, the area of the element and its normal vector are computed.


Block 4 : pressure computation and nodal efforts
Here, the user must define the pressure as a function of his parameters, nodal data,
...
pressure = f(parm(1), parm(2), nod_displ, nod_accel, ...)
The resultant force on the current element due to the pressure is then computed as :
Resultant_F = pressure $x$ area.
Finally, the corresponding nodal force is estimated as :
Nodal_F = Resultant_F/4

Block 5 : Nodal force update
At current time, the nodal force is updated.

## 3 INPUT DECK

The input file for LS-DYNA contains the keyword *USER_LOADING followed by the user parameters. Up to 160 parameters can be defined, the next * ends this card.
*USER_LOADING
\$ PARAM1 PARAM2 PARAM3

## 4 EXAMPLES

### 4.1 Pressure as a function of time

The system considered is a steel plate whose borders are fixed (translational degrees of freedom constrained). The square plate is 2 m on a side and 1 mm thick. The model contains 400 Belytschko-Tsay shell elements with the warping option activated.
We apply a time dependent pressure that follows the relation : $\mathrm{p}(\mathrm{t})=320-64 \mathrm{t}^{2}$.
This load can also be applied to the system using the keyword *LOAD_SEGMENT. We will compare the results to those obtained using a user loading.
*LOAD_SEGMENT
This is the definition of pressure using the *LOAD_SEGMENT option. LCID is the parabolic load curve pressure vs. Time :
*LOAD_SEGMENT

| LCID | SF | AT | N1 | N2 | N3 | N4 |
| ---: | ---: | ---: | ---: | ---: | ---: | ---: |
|  | 1 | 1.0000000 | 0.0000000 | 7 | 6 | 27 |
| 28 |  |  |  |  |  |  |

*DEFINE_CURVE
1
.0000000320 .0000

## *USER_LOADING

The subroutine loadud is modified as follows : Icid and scalfact are introduced and correspond to the user parameters

LCID = INT (PARM (1))
SCALFACT = PARM(2).
The pressure computation is done as
PRESSURE = SCALFACT . FVAL (LCDI)
fval(Icid) : value of load curve /cid at current time
In the input file, the command is :

```
*USER_LOADING
\begin{tabular}{rrr}
\(\$\) & PARM1 & PARM2 \\
\(\$\) & LCDI & SCALFACT \\
& 1 & 1.00
\end{tabular}
*DEFINE_CURVE
                                    .00000000 320.0000
```


### 4.2 Results

In both cases, the load applied to the whole system is a pressure which changes as a parabolic function of time.
The results for both loading methods (*LOAD_SEGMENT and *USER_LOADING) can be compared.



Figure 1: Z-acceleration at node 226 \& Von Mises stress at time $t=4,7 \mathrm{~s}$.
As shown in figures, both loading methods lead to the exact same nodal displacements and accelerations. The Von Mises stress is perfectly symmetric, as expected, and is identical in both cases.

### 4.3 Pressure as a function of displacement

The model of a square steel plate described previously is again used here.
The load is a pressure applied on each segment which is a function of the average Z_displacement of the four nodes of the segment and pressure is defined as :

$$
p(t)=\operatorname{press} 0 \times(\text { press } 1+\text { press } 2 \times \operatorname{displ} Z(t))
$$

## *USER_LOADING

In the subroutine loadud, pressure is a linear function of nodal average displacement, so user parameters are the coefficients of this function :

PRESS0=PARM (1)
PRESS1=PARM (2)
PRESS2=PARM (3)

The average nodal $Z_{\text {_ }}$ displacement of element $i$ at current time is computed using : $\operatorname{DEPLZ}=(\mathrm{D}(3, \operatorname{IXS}(2, I))+\mathrm{D}(3, \operatorname{IXS}(3, \operatorname{I}))+\mathrm{D}(3, \operatorname{IXS}(4, I))+D(3, \operatorname{IXS}(5, I))) / 4$ PRESSURE=PRESS0 * (PRESS1+PRESS2 *DEPLZ)
Finally, we write current time and pressure for element \#190 in unit 666. This is useful to compare pressure vs. time and nodal displacement vs. time :

IF (I.EQ.190) THEN
WRITE (666,*) TIME, PRESSURE
ENDIf
In the keyword file, variables press0, press1 and press2 are defined by the user as follows:
*USER_LOADING
\$ PARM1 PARM2 PARM3
$1.5 \quad 1.000+0-4.000+2$

### 4.4 Results

In order to check the results, we compare the average $Z_{\text {_ }}$ displacement at nodes \#226, 225, 205, 204 (ASCII file nodout) and the pressure applied on element \#190 (ASCII file fort.666) (Figure 2)


Figure 2 : Pressure comparison vs. time
Comparison between pressure on element and pressure calculated using the nodal Z_displacement.
As shown in Figure 2 the pressure applied on element \#190 corresponds perfectly to the pressure calculated using the average nodal displacement and the linear equation.
The usage of *USER_LOADING leads to exactly the same results than the usage of *LOAD_SEGMENT option. Both loading methods are identical.

## 5 CONWEP examples

Since version 960, LS-DYNA contains the *LOAD_BLAST option to model blast effects from explosions. The CONWEP option was implemented using the RanderPehrson \& Bannister study (Réf.1).
To call the CONWEP function, the input deck must contain the following options :

- *LOAD_BLAST : the user specifies the properties of the explosive here : mass, position, time, unit system and type of explosion (spherical or hemispherical).
- *LOAD_SEGMENT : here the user specifies the load curve ID $=-2$ to call the CONWEP function.
We used subroutine loadud to program this function as a user loading. The program uses the subroutines from Rander-Pehrson \& Bannister as detailed in their report.


## Rander-Pehrson \& Bannister test

Figure 3 : Rander-Pehrson \& Bannister beam test.


In order to test their implementation of the CONWEP function, Rander-Pehrson \& Bannister modelled the explosion of 2.32 kg . of TNT above a rigid and reflecting surface. We reproduced this example.
To obtain the pressure profiles, the surface is modelled as a high-density fluid beam, whose dimensions are : $L X=1.2 \mathrm{~m}, \mathrm{LY}=0.1 \mathrm{~m}, \mathrm{LZ}=0.04 \mathrm{~m}$.
The elastic material of the beam has a density of $20000 \mathrm{~kg} / \mathrm{m}^{3}$, a Young's modulus equal to $1 . \mathrm{e}^{-4} \mathrm{~Pa}$ and a Poisson's ratio equal to zero. The translational degrees of freedom $x$ and $z$ are blocked. The pressure on one node can be evaluated using the relation : $p_{g}=\frac{1}{2} \rho e \ddot{y}_{g}=1000 \times \ddot{y}_{g}$, where :

Pg : pressure at node $(\mathrm{Pa})$
$\rho$ : density ( $20000 \mathrm{~kg} / \mathrm{m}^{3}$ )
$\mathrm{e}:=\mathrm{LY}$, thickness of the beam ( 0.1 m )
$\ddot{y}_{g}: Y \_$acceleration of node $\left(\mathrm{m} / \mathrm{s}^{2}\right)$
Then, the pressure profile can be obtained easily from the acceleration profile. We will consider 12 nodes on the beam (Figure 3) and we'll compare the pressure on these nodes for both loading methods : *LOAD_BLAST and *USER_LOADING.

### 5.1 Results

Figure 4 : Comparison of nodal pressure vs. time for both loadings


As can be seen in Figure 4, both methods of load definition lead to identical results, as expected.
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### 5.2 Explosion above a square steel plate

The square steel plate described previously is again used here. The explosion of 5 kg . of TNT takes place 1 m above the centre of the plate. We compare the results obtained with *LOAD_BLAST and *USER_LOADING.

### 5.3 Results




Figure 5 : Final plastic strain and comparison of nodal Z-acceleration
As the explosion takes place above the center of the plate, and as the plate is perfectly symmetric and isotropic, we will consider some nodes on the diagonal as shown in Figure 5.
In graphics representing plastic strain (Figure 5), we check, on one hand, the symmetry of deformation patterns and on the other hand, that both loading methods give similar values.
As shown in Figure 5 both loading methods lead to identical nodal acceleration .

## 6 CONCLUSION : User loading in 7 steps

The examples presented here intend to show how to use a user defined loading. To create a model with a user defined loading, follow these steps:

1. Choose the pressure/force function and choose user parameters user1, ... In the subroutine loadud (file dyn21.f) :
2. Declare variables user1, user2, ... in the declaration block
3. Initialise variables user1 = parm(1), user2 = parm(2), ...
4. Compute the pressure/force as a function of user variables and model variables : pressure = f(user1, user2, ... , nodal_displ, nodal_force, ...).
5. Compile dyn21.f with the LS-DYNA objects and create the executable file.
6. Create the input file containing the *USER_LOADING option and the values for chosen parameters.
7. Execute

## 7 REFERENCES

1. Airblast Loading Model for DYNA2D and DYNA3D - March 1997 - Glenn Randers-Pehrson \& Kenneth A. Bannister - ARL
2. CRIL TECHNOLOGY (DYNALIS) Internal Technical Report EQ 14.3 - Test du module CONWEP de LS-DYNA, version 960 - Gael Le Blanc - April 2000, CRIL Technology (Dynalis)
3. Report D002-2000-E-R01 - Implementation d'un modele de souffle dans LSDYNA - - Gael Le Blanc - January 2000, CRIL Technology (Dynalis)

## 8 APPENDIX

```
SUBROUTINE LOADUD (FNOD,DT1,TIME,IRES,X,D,V,A,IXS,
NUMELS,IXB,NUMELB,IDRFLG,TFAIL,ISF,P,NPC,FVAL,IOB,IADD)
INPUT ARRAYS
FNOD - GLOBAL NODAL FORCES
DT1 - CURRENT TIME STEP SIZE
TIME - CURRENT PROBLEM TIME
IRES - RESTART FLAG, ( 0=SOLUTION PHASE
    (-N=INPUT N PARAMETERS )
    ( 2=RESTART
    ( 3=READ DATA FROM RESTART FILE )
    ( 4=WRITE DATA INTO DUMP FILE )
WHEN DATA IS READ, DUMMY ARRAYS ARE PASSED IN THE CALL.
DATA SHOULD BE READ INTO A LOCAL COMMON BLOCK WHICH IS
WRITTEN INTO THE RESTART DATABASE.
D - DISPLACEMENTS
V - VELOCITIES
A - ACCELEATIONS
IXS - SHELL ELEMENT CONNECTIVITIES (IXS (1,*)=PART ID)
    (IXS (2,*)=NODE 1)
    (IXS (3,*)=NODE 2)
    (IXS (4,*)=NODE 3)
    (IXS (5,*)=NODE 4)
IXB - BEAM ELEMENT CONNECTIVITIES (IXB(1,*)=PART ID)
    (IXB (2,*)=NODE 1)
    (IXB (3,*)=NODE 2)
    (IXB (4,*)=ORIENTATION NODE)
NUMELS - NUMBER OF SHELL ELEMENTS
NUMELB - NUMBER OF BEAM ELEMENTS
ISF - SHELL ELEMENT FAILURE FLAG (1=ON)
TFAIL - SHELL ELEMENT FAILURE TIME (EQ.0:OKAY)
                                    (NE.0:FAILURE TIME)
IDRFLG - NONZERO IF DYNAMIC RELAXATION PHASE
```

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P
NPC - POINTER INTO P. (P (NPC (LC)) POINTS TO THE BEGINNING OF LOAD CURVE ID LC. NPOINTS=NPC (LC+1)-NPC (LC) = NUMBER OF POINTS IN THE LOAD CURVE
FVAL - FVAL (LC) IS THE VALUE OF LOAD CURVE LC AT T=TIME
IOB - I/O BUFFER
COMMON/USRLDV/PARM (160)
CHARACTER*80 TXTS,MSSG
DIMENSION $\mathrm{A}(3, *), \mathrm{V}(3, *), \mathrm{D}(3, *), \operatorname{FNOD}(3, *), \operatorname{IXS}(5, *), \operatorname{IXB}(4, *)$,

- $\mathrm{X}(3, *), \operatorname{TFAIL}(*), \mathrm{P}(*), \operatorname{NPC}(*), \operatorname{FVAL}(*), \operatorname{IOB}(*)$

IF (IRES.LT.0) THEN
$\mathrm{N}=\mathrm{ABS}$ (IRES)
WRITE (13,1030)
MSSG='*** ERROR READING IN USER LOADING SUBROUTINE'
DO $10 \mathrm{I}=1, \mathrm{~N}, 8$
CALL GTTXSG (TXTS, LCOUNT)
$\operatorname{READ}(\mathrm{UNIT}=\mathrm{TXTS}, \mathrm{FMT}=1020, \mathrm{ERR}=400) \quad(\operatorname{PARM}(\mathrm{J}), \mathrm{J}=\mathrm{I}, \mathrm{MIN}(\mathrm{I}+7, \mathrm{~N}))$
WRITE (13,1040) (PARM (J), J=I, MIN (I+7,N))
CONTINUE
WRITE (13,1050)
RETURN
ENDIF

IF (IRES.EQ.3) THEN
NLODDV=160
CALL WRABSF (IOB, PARM, NLODDV, IADD)
\{2\}
IADD = IADD + NLODDV
RETURN
ENDIF

IF (IRES.EQ.4) THEN
NLODDV=160
CALL RDABSF (IOB, PARM, NLODDV, IADD, IOERR)
IADD=IADD+NLODDV
RETURN
ENDIF
DO 20 I=1, NUMELS
$\operatorname{IXS} 2 I=\operatorname{IXS}(2, I)$
$\operatorname{IXS} 3 I=\operatorname{IXS}(3, I)$

C
$\mathrm{XX} 11=\mathrm{X}(1$, IXS2I)
XX21 $=\mathrm{X}(2$, IXS2I)
$X X 31=X(3, I X S 2 I)$
XX12 $=\mathrm{X}(1$, IXS3I)
$X X 22=X(2$, IXS3I $)$
XX32 $=\mathrm{X}(3$, IXS3I)
C
XX13 $=\mathrm{X}(1$, IXS4I)
XX23 $=\mathrm{X}(2, I X S 4 I)$
$X X 33=X(3, I X S 4 I)$
C
XX14 $=\mathrm{X}(1$, IXS5I)
XX24 $=\mathrm{X}(2$, IXS5I $)$
XX34 =X (3, IXS5I)
C
FS1 $=-\mathrm{XX} 11+\mathrm{XX} 12+\mathrm{XX} 13-\mathrm{XX} 14$
FS2 $=-X X 21+X X 22+X X 23-X X 24$
FS $3=-X X 31+X X 32+X X 33-X X 34$
C
FT1 $=-\mathrm{XX} 11-\mathrm{XX} 12+\mathrm{XX} 13+\mathrm{XX} 14$
FT2 $=-\mathrm{XX} 21-\mathrm{XX} 22+\mathrm{XX} 23+\mathrm{XX} 24$

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FT3 =-XX31-XX32+XX33+XX34
```

        \(\mathrm{E}=\mathrm{FS} 1 * \mathrm{FS} 1+\mathrm{FS} 2 * \mathrm{FS} 2+\mathrm{FS} 3 * \mathrm{FS} 3\)
        \(\mathrm{F}=\mathrm{FS} 1 * \mathrm{FT} 1+\mathrm{FS} 2 * \mathrm{FT} 2+\mathrm{FS} 3 * \mathrm{FT} 3\)
        \(\mathrm{G}=\mathrm{FT} 1 *\) FT1 + FT2*FT2+FT3*FT3
    C
AREA $=\operatorname{SQRT}\left(\left(E^{*} G-F^{*} F\right) / 16.\right)$
TR1 =FS2*FT3-FS3*FT2
TR2 $=\mathrm{FS} 3 * \mathrm{FT} 1-\mathrm{FS} 1 *$ FT3
TR3 $=$ FS1*FT2-FS2*FT1
$\mathrm{XMG}=.25 / \mathrm{SQRT}(\mathrm{TR} 1 * * 2+\mathrm{TR} 2 * * 2+\mathrm{TR} 3 * * 2)$
C
$\operatorname{PRESSURE}=\mathrm{F}(\operatorname{PARM}(1), \operatorname{PARM}(2), \ldots)$
C
TR1 $=\mathrm{XMG} *$ TR1*AREA*PRESSURE
TR2 $=\mathrm{XMG} * \mathrm{TR} 2 * A R E A *$ PRESSURE
TR3 $=\mathrm{XMG} *$ TR3 ${ }^{*}$ AREA $*$ PRESSURE
C
$\operatorname{FNOD}(1, \operatorname{IXS} 2 I)=\operatorname{FNOD}(1, I X S 2 I)-T R 1$
C
20 CONTINUE
RETURN
C
400 CALL TERMIN (TXTS,MSSG,LCOUNT, 1)
1020 FORMAT (8E10.0)
1030 FORMAT (////' U S E R D E F I N E D L O A D I N G ,
040 FORMAT (
1 5X,' PARAMETER NUMBER ',I4,'=', E12.4)
1050 FORMAT (////)
END

